

FITS MODELLING OF AXIAL-SYMMETRICAL SHAPED JOINTS

© Podolski T., Dudziak M., Kroczak J., 2009

Стаття присвячена моделюванню осе-симетричних фасонних шарнірів. Були сформовані обчислювальні моделі МСЕ для стаціонарного вала. Ці моделі дають змогу повністю оцінювати стан зв'язку і показують різницю результатів між подібними підгонками.

Ключові слова – фасонний шарнір, обчислювальна модель, МСЕ

Actual paper is devoted to the fits modelling of axial-symmetrical shaped joints. FEM Computational models of stationary shaft were developed. These models allow to estimate completely state of connection and show the difference of results between similar fits.

Keywords – shaped joint, computational model, FEM

Introduction

Axial-symmetrical shaped joints are the most popular type of connections in general machine construction. Bolts, pins, rivets, screws and splines belong to these elements.

During design of connection of new machine part one must determine function, which must be satisfied. Depending on designed function and loads designer selects geometrical parameters, which have to guarantee a proper cooperation, i.e. fit.

In order to get a designed function of connection we can use many tolerance pairs of hole and shaft. However, it is recommended to use privileged fits according to principle of stationary hole or shaft. In tables 1 and 2 there are presented recommended fits according to above principles with marked fits, which are privileged.

If we need a slide fit than we should use the recommended fit H7/f6, which is compatible with principle of stationary hole. For the same function of connection we can use fit F8/h6 according to principle of stationary shaft.

Using principle of stationary shaft we can apply also non-privileged fit F9/h8 and get a similar utility functions. There occurs a question: What is the difference between fits of this same types? In order to show this difference there were built computational models of fits of connections. For analysis there were selected clearance fits F8/h6 and F9/h8.

Table 1

Generally used fits on the basis of principle of stationary hole (for the range of dimensions up to 500mm) according to PN-EN 20286-1

Hole	Shaft dimensional deviation																		
	b	c	d	e	f	g	h	js	k	m	n	p	r	s	t	u	x	z	
H6						H6	H6	H6	H6	H6	H6	H6	H6	H6					
H7	H7	H7	H7	H7	H7	H7	H7	H7	H7	H7	H7	H7	H7	H7	H7	H7	H7	H7	
H8	H8	H8	H8	H8	H8	H8	H8	H8	H8	H8	H8	H8	H8	H8	H8	H8	H8	H8	
H9				H9	H9	H9	H9	H9	H9	H9	H9	H9	H9	H9	H9	H9	H9	H9	
H10								H10	H10	H10	H10	H10	H10	H10	H10	H10	H10	H10	
H11	H11	H11	H11	H11	H11	H11	H11	H11	H11	H11	H11	H11	H11	H11	H11	H11	H11	H11	
H12																			

Table 2

Generally used fits on the basis of stationary shaft (for the range of dimensions up to 500mm) according PN-EN 20286-1

Basic hole	Hole dimensional deviation																		
	A	B	C	D	E	F	G	H	JS	K	M	N	P	R	S	T	U		
h5						F7 h5	G6 h5	H6 h5	JS6 h5	K6 h5	M6 h5	N6 h5	P6 h5						
h6			D8 h6		E8 h6	F7 h6	F8 h6	G7 h6	H7 h6	JS7 h6	K7 h6	M7 h6	N7 h6	P7 h6	R7 h6	S7 h6	T7 h6		
h7			D8 h7		E8 h7	F8 h7			H8 h7	JS8 h7	K8 h7	M8 h7	N8 h7				U8 h7		
h8			D8 h8	D9 h8	E8 h8	E9 h8	F8 h8	F9 h8	H8 h8	H9 h8									
h9			D8 h9	D10 h9	E9 h9		F9 h9		H9 h9	H10 h9									
h10				D10 h10					H10 h10										
h11	A11 h11	B11 h11	C11 h11	D11 h11					H11 h11										
h12		B12 h12							H12 h12										

Computational Models

Designer during creating a new connection does not know what influence of values of fits on connection elements is. For complete identification of connections with the same types of fits there were built two computational models for selected fits: first one for upper deviation of hole and for lower deviation of shaft, second one for lower deviation of hole and for upper deviation of shaft. Shaft and hole deviations for individual fit models were presented in table 3.

Table 3

Values of upper and lower deviations [µm] for modelled fits

Fits	I	F8/h6	B = +64	a = -16
	II	F8/h6	A = +25	b = 0
	III	F9/h8	B = +87	a = -39
	IV	F9/h8	A = +25	b = 0

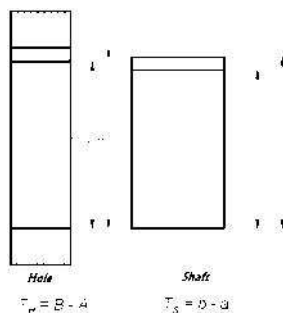


Fig. 6 Shaft and hole with marked tolerance range and size limits.

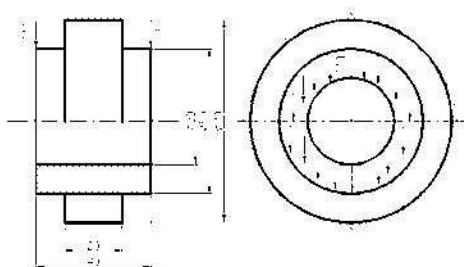


Fig. 7 A scheme of analysed computational model.

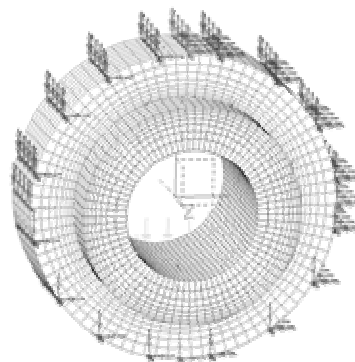


Fig. 8 A view of FE model.

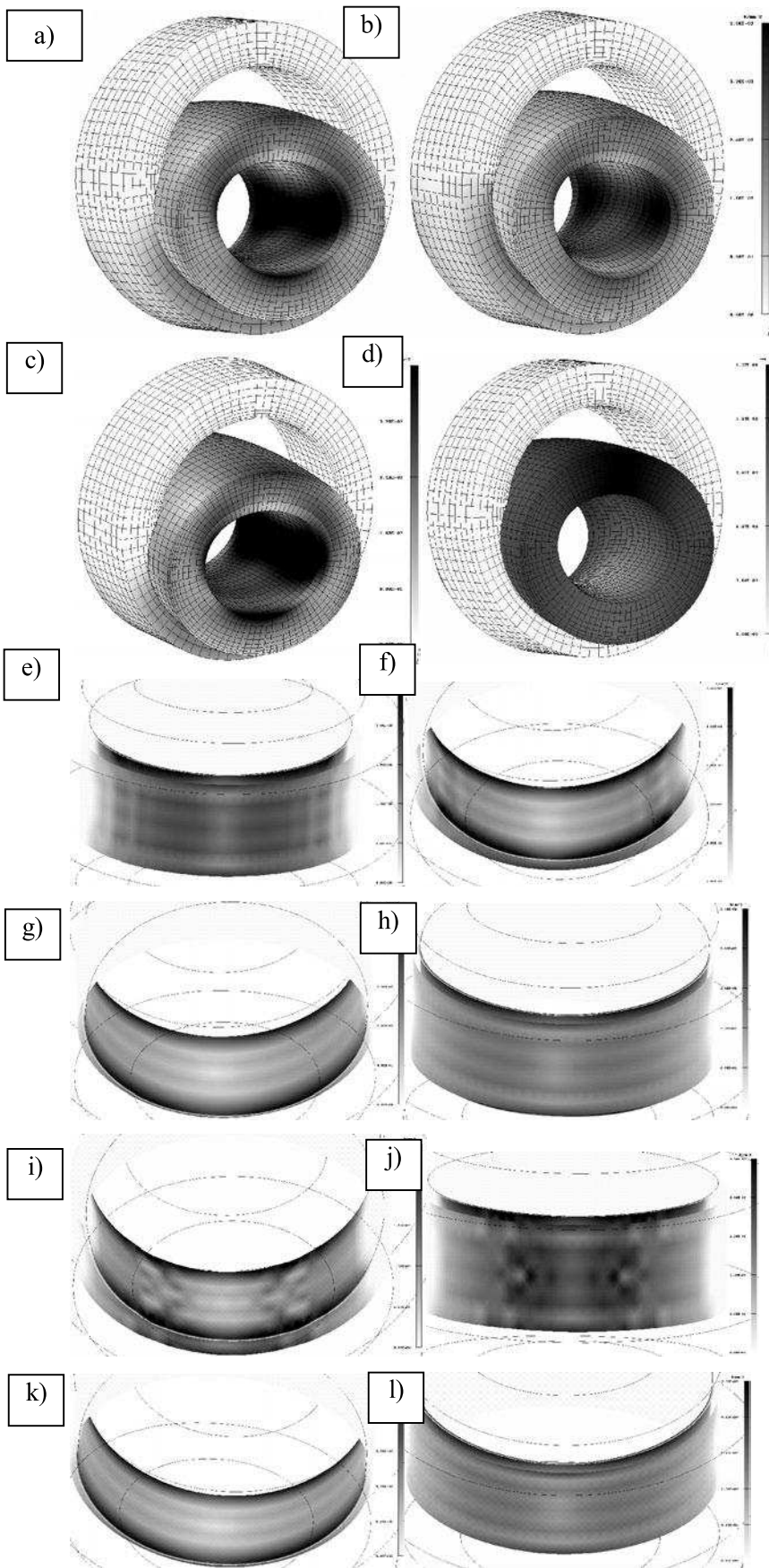


Fig. 9 Results of FEM analysis: a), b), c) – reduced stresses according to Huber-Mises hypothesis for models I, II and III d) – displacements of model I, e) – l) – distribution of contact stresses of hole and shaft for models I, II, III and IV.

There was selected piston's spigot joint. Sleeve with hole cooperates with floating pin. Mating surfaces of connection (diameter \square 50) are manufactured with proper dimensional deviations. End faces of pin are loaded with transverse force.

Table 4

Parameters of FEM computational model

Node Label Range	1 - 19602, 18720 Total
Element Label Range	1 - 15360, 15360 Total
Element Types	solid linear brick : 15360
Physical Properties	1 - SOLID1 : 15360
Materials	GENERIC_ISOTROPIC_STEEL : 15360

Outer surface of hole has no degrees of freedom. There were generated contact elements on mating surfaces.

On the basis on computations we can get a few sets of results. Designer is interested in getting reduced stresses according to Huber- Misses hypothesis, displacements in construction and distribution of contact stresses on the mating surfaces. In table 5 there are presented maximal values of selected magnitudes. Geometrical dimensions of hole and shaft are given in first column, in brackets.

Table 5

Parameters of FEM computational model

Fits	Stress [MPa]	Displacements [mm]	Contact stresses [MPa]
F8 B(+64)/h6 a(-16)	486	0,1570	427
F8 A(+25)/h6 b(0)	413	0,0999	332
F9 B(+87)/h8 a(-39)	590	0,1870	544
F9 A(+25)/h8 b(0)	413	0,0999	332

Summary

Performed analysis of fits has confirmed the known relationships. Models show the difference between similar fits. Models allow to estimate completely state of connection and show the difference of results between similar fits. The highest differences are visible in distributions of contact stresses. Analysed models did not take into account roundness and cylindricity deviations, what should be considered during further works.

1 M. Dudziak, T. Podolski, A. Kołodziej: "Wybrane problemy wykorzystania elementów kontaktowych w modelowaniu połączeń osiowosymetrycznych", XV Konferencja NT. „Metody i środki projektowania wspomaganego komputerowo”, Kazimierz Dolny, pp.119- 124, Październik 2005. 2 T. Podolski: "Estimation of contact stresses in axial-symmetrical machine elements with shape deviations" IX International Conference Computer Simulations in Machine Design – COSIM 2006, Krynica Zdrój, 30 August – 1 September 2006, pp.257-263. 3 M. Dudziak, T. Podolski, A. Kołodziej: "Analysis of cooperation of significant constructional connections in advanced machines", The 12th International Conference on Problems of Material Engineering, Mechanics and Design, Jasna, 29.-31. august 2007. 4 T. Podolski, J. Krocak, I. Malujda: "Sensitivity analysis of numerical algorithm in application to calculations of axial-symmetrical connections", XV Seminaire Franco-Polonais de Mecanique, Polytech' Lille, 28.06.2007.