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Temperature distribution in nanoparticle hyperthermia

Abstract. In this article simulation of the electromagnetic field and temperature in human tissues is considered. First equations describing magnetic field in terms of magnetic potential A under sinusoidal excitation is derived and next distribution temperature inside human body was described. It was discussed influence of human tissue parameters on electromagnetic field and temperature

Keywords: hyperthermia, nanoparticles, finite element method, temperature distribution.

Słowa kluczowe: hipertermia, nanocząsteczki, metoda elementów skończonych, rozkład temperatury.

Introduction

Magnetic nanoparticles used in medical applications have sizes ranging from a few nanometers up to thousands of nanometers, what means that their dimensions are smaller than or comparable to those of a cell (10–100 μm), a protein (5–50 nm), a virus (20–450 nm), or a gene (2 nm wide and 10–100 nm long). Because of this they can come in direct vicinity of biological tissues of interest. Such nanoparticles should be coated with biological molecules, such as a starch, to make them difficult to recognize by an organism's immune defense system, thereby providing a possibility to control the means of transport them to desired places. The nanoparticles are magnetic, what means that they obey Lorenz's law, what gives possibility to manipulate them by an external magnetic field with high magnetic gradient. This property of magnetic nanoparticles enables location of them in desired places. Next, magnetic nanoparticles can be made to respond to time varying electromagnetic field, what results in transfer of energy from external exciting energy sources to nanoparticles and in this way to treated tissues.

Power of heat sources

Now all coefficients can be deduced from the data supplied by manufacturers of given magnetic materials or by adequate laboratory measurements. The energy supplied when the magnetic field ones goes around hysteresis loop can be calculated as [2]:

$$(1) \quad w_m = 4\pi \left[-\frac{c_2}{b_2} H_x + \left(\frac{c_2}{b_2} + c_1 H_x + c_2 H_x^2 \right) I_1 + \left(\frac{b_1 c_2 - c_1 b_2}{b_2} \right) I_2 \right]$$

Heat equation has following form

$$(2) \quad \nabla(-k\nabla T) = \rho_b C_b \omega_b (T_b - T) + Q_{ext} + Q_{mel}$$

Computational results

It was assumed that tumor occurs in liver as in Fig.1 right. The amount of 10mg/cm³ nanoparticles was injected into tumor and uniformly inside distributed. Geometrical dimension are given in Fig.1. Exciting wires with current have parameters $I_{max} = 1e4$ [A], $r_s = 0.01$ [m] and frequency $f = 100$ [MHz]. Physical parameters of blood are as follows: $\rho_b = 1060$ [kg/m³], $C_b = 3639$ [J/(kg·K)], $T_b = 310.15$ [K], $\omega_b = 0.005$ [1/s]. Physical parameter of tissues are given by: relative permittivity $\epsilon_r = 29.6$ in body, 70 in tumor and 5.8 in liver, electric conductivity $\sigma = 0.02$ [S/m] in tumor, body and skin and 0.002 [S/m] in liver. The hysteresis loss for one loop is $5 \cdot 10^{-4}$ J/g when $H_0 = 35$ kA/m.

The frequency was assumed $f = 100$ kHz. The exciting current was so adjusted to attain specific loss power 400, 450 and 500 mW/cm³.

Results

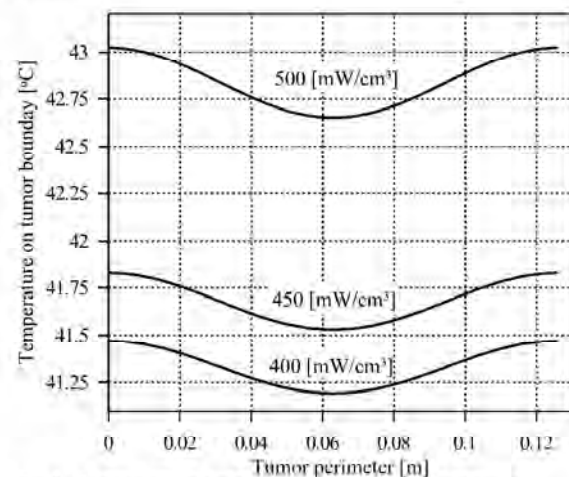


Fig.1. Temperature distribution on the tumor perimeter

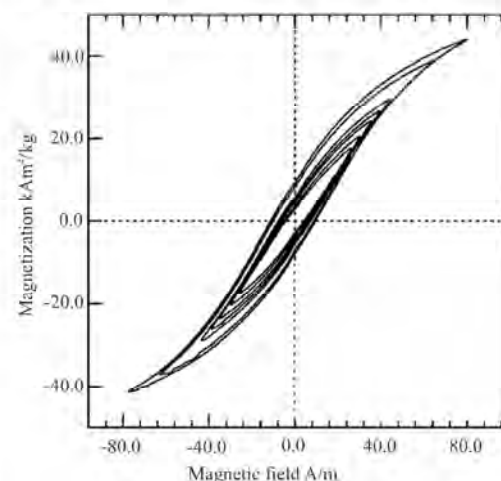


Fig.2. Hysteresis curve of the ferromagnetic particle

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